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VLSI Implementation of Daubechies Wavelet Filter for Image Compression

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Abstract: *To analyze the performance of orthogonal wavelet filters for image compression on variety of test images. The test images are of different size and resolution. The compression performance is measured, objectively peak signal to noise ratio and subjectively visual quality of image and it is found that orthogonal wavelets outperform. Under normal conditions, the DWT provides near perfect performance, but in situations requiring the transmission of images across noisy or bandwidth-limited channels, the performance of the wavelet algorithm may be improved by redefining the wavelet filter using an optimization algorithm. The discrete wavelet transform has a huge number of applications in science, engineering, mathematics and computer science. In numerical analysis and functional analysis, a discrete wavelet transform (DWT) is any wavelet transform for which the wavelets are discretely sampled Daub-6 derives is a wavelet filter bank operation. The proposed algorithm optimize the wavelet filter bank architecture.. The optimized filters provide good performance under special conditions they no longer adhere to the mathematical properties of wavelets, namely the orthogonal between the forward and inverse filters. Daub-6 filter banks give perfect reconstruction filter banks for any number of channels .This Daub-6 filter wavelet transform used to reduce the adder counter for the filter architecture. And reduce the path delay also. This architecture to improve the performance and increase the system speed.*
Keywords – *Daubechies filter, DWT, MSC, PSNR, Compression Ratio.*

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I. Introduction

The objective of image compression is to reduce irrelevance and redundancy of the image data in order to be able to store or transmit data in an efficient form. The image compression is of two types one is lossy and the other is lossless. Lossless compression is preferred for archival purposes and often for medical imaging, technical drawings, clip art, or comics. Lossy compression methods, especially when used at low bit rates, introduce compression artifacts. Lossy methods are especially suitable for natural images such as photographs in applications where minor (sometimes imperceptible) loss of fidelity is acceptable to achieve a substantial reduction in bit rate. The lossy compression that produces imperceptible differences may be called visually lossless.

Daubechies wavelets

Most commonly used set of discrete wavelet transforms was formulated by the Belgian mathematician Ingrid Daubechies in 1988. This formulation is based on the use of recurrence relations to generate progressively finer discrete samplings of an implicit mother wavelet function; each resolution is twice that of the previous scale. In her seminal paper, Daubechies derives a family of wavelets, the first of which is the Haar wavelet called as dbN 2. Interest in this field has exploded since then, and many variations of Daubechies' original wavelets were developed.

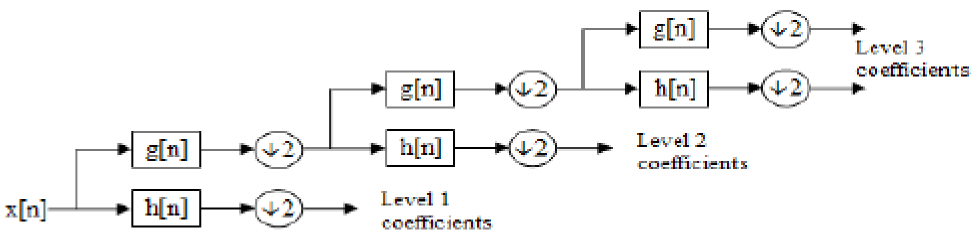

Fig1: Step in Daubechies' wavelet.

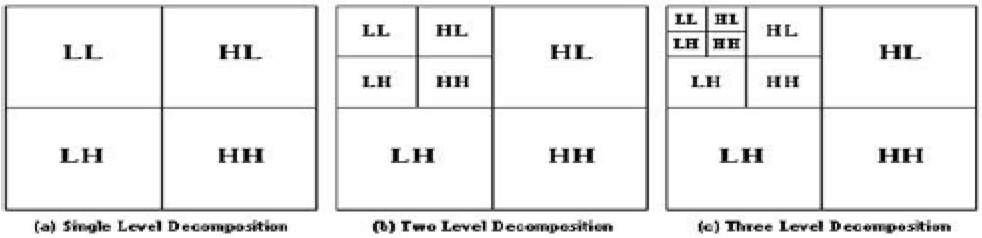

Fig2: Mechanism of daubechies wavelet.

II. Proposed System

The proposed method to find the algebraic integer values for the filter bank process and to optimize the circuit complexity. And to improve the system performance. This type of architecture to reduce the adder count in overall filter architecture. And to modify the reconstruction step and to enhance the filter image. The proposed to increase the system speed due to the filter and transformed process and this process to implement the image compression process. The proposed work is Daubechies 6-tap wavelet technique used for the wavelet transform. orthogonal filter banks give perfect reconstruction filter banks for any number of channels. Orthogonal filter banks are also called Para unitary filter banks. This Daubechies 6-tap wavelet transform used to reduce the adder counter for the filter architecture. And reduce the path delay also. We propose an efficient image compression technique that addresses the problem occurred in above discussed existing image compression technique. Our proposed approach exploits the use of orthogonal filter to efficiently reconstruct the image from the original image. The working procedure of this proposed scheme is halved into following process namely, selection of input image (Original image), and acquisition of binary points, apply Feature transform to obtain the Feature points. Then Encode the orthogonal filter using DWT computation, Decode the Feature points using inverse DWT, image reconstruction through inverse Feature transform. We propose an efficient image compression technique that addresses the problem occurred in above discussed existing image compression technique. Our proposed approach exploits the use of orthogonal filter to efficiently reconstruct the image from the original image. The working procedure of this proposed scheme is halved into following process namely, selection of input image (Original image), and acquisition of binary points, apply Feature transform to obtain the Feature points, Encode the orthogonal filter using DWT computation, Decode the Feature points using inverse DWT, image reconstruction through inverse Feature transform. This paper presents an efficient architecture for the implementation of a delayed wavelet filter For achieving lower adaptation delay and area delay power efficient implementation, use a novel partial product generator and propose a strategy for optimized balanced pipelining across the time consuming combinational blocks of the structure.

III. Modules

- Image initialization,
- Extract Feature points,
- Implement WAVELET,
- Implement IWAVELET,
- Apply inverse Feature transform,
- Computation of MSE and PSNR

The block diagram for the proposed system is as given below:

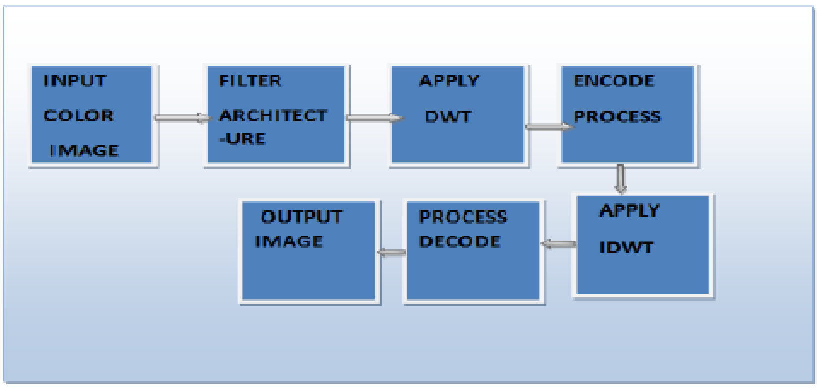

Fig:3: System block diagram

3.1IMAGE INITIALIZATION

 In this module, we do preprocessing steps for image such as,
o Image noise reduction,
o Histogram equalization,
o Image size estimation, etc.
 In this we extract the pixels in the given image and arrange it in a matrix.
 Here to detect whether the input image was single sample image or not. If it was more than one sample image, then this was converted into single sample intensity image (Gray scale image).

3.2EXTRACT FEATURE POINTS:

Initially acquire the binary points from the image which is given as input and produce the features by applying Feature transform in a range of $\theta = 0^{\circ} - 360^{\circ}$. This Feature transform denotes the image representation as a collection of projections along different directions. The Feature transform encompasses a Feature function that computes the projections of an image along specified directions of x' axis and y' axis.

- $R_\theta(x') = \int_{-\infty}^{\infty} f\,(x'\cos\theta - y'\sin\theta, x'\sin\theta + y'\cos\theta)\,dy'$
- Here $\begin{bmatrix} x' \\ y' \end{bmatrix} = \begin{bmatrix} cos\theta & sin\theta \\ -sin\theta & cos\theta \end{bmatrix} \begin{bmatrix} x \\ y \end{bmatrix}$. The Feature points are obtained by applying Feature transform using Feature function.

3.3 IMPLEMENT WAVELET:

By using the encoding process of WAVELET, the given image is broken down into K*K blocks of pixels, where K denotes 2, 4, 6, etc. The WAVELET computation for a sequence f(i) of length K.

- The WAVELET coefficients are obtained from each block of input data. Then we encode the Feature points by applying this computed WAVELET. WAVELET is having best energy compaction capability for highly correlated images.

3.4IMPLEMENT IWAVELET:

- On the receiver side, the projections are retrieved by IWAVELET which is used to reconstruct the original image.
- $D(u) = \alpha(u) \sum_{i=0}^{K-1} f(i) \cos\left[\frac{\pi(2i+1)u}{2K}\right]$
- Here, u ranges from 0, 1 …K-1 and the WAVELET coefficients is *D (u)*. The inverse WAVELET (IWAVELET) is expressed as,
- $f(i) = \sum_{u=0}^{K-1} \alpha(u) D(u) \cos\left[\frac{\pi(2i+1)u}{2K}\right]$

3.5 APPLY INVERSE FEATURE TRANSFORM:

Explicit and computationally efficient inversion formulas for the Feature transform and its dual are available. The Feature transform in *n* dimensions can be inverted by the formula

$$c_n f = (-\Delta)^{(n-1)/2} R^* R f$$

Where

$$c_n = (4\pi)^{(n-1)/2} \frac{\Gamma(n/2)}{\Gamma(1/2)}.$$

And the power of the Laplacian $(-\Delta)^{(n-1)/2}$ is defined as a pseudo differential operator if necessary by the Fourier transform

$$\mathcal{F}\left[(-\Delta)^{(n-1)/2}\phi\right](\xi) = |2\pi\xi|^{n-1}\mathcal{F}\phi(\xi).$$

3.6 COMPUTATION MSE AND PSNR:

The term MSE in equation 1 represents Mean Square Error; I denote the pixel intensity level of an image. Similarly, MSE is another performance measure for examining the quality of compressed image. In general, MSE is used along with PSNR analysis. It produces the distortion level by comparing reconstructed and original image. The expression that helps the computation of MSE is given in equation 1.

$$MSE = \frac{1}{AB} \sum_{i=1}^{A} \sum_{j=1}^{B} (P_{i,j} - Q_{i,j})^2 \qquad (1)$$

- The term P in equation 1 denotes the original image of size A x B whereas Q denotes the reconstructed image of size A x B.
- Computing the PSNR value in db by using the equation given below:

$$PSNR = 10\, log_{10} \frac{I^2}{MSE} \qquad (2)$$

Then finally obtain the reconstructed image.

IV. Analysis Of Result

Looking at the earlier results can easily compare the daub-6 filter wavelet with the other wavelet and easily can compute that the value of the PSNR and the MSE is decreasing gradually as shown in the graph and table no.1 Also the input and the output images in fig 3 and 4.

SR.NO.	WAVELET	PSNR	MSE
1.	DCT	44.8230	46.9039
2.	HAAR	56.1203	0.0019
3.	Db2	44.7909	0.0019
4.	Db4	45.2248	0.0013
5.	DAUB-6 WAVELET	57.0927	0.0012

Table.1.Comparison between MSE and PSNR for different wavelet.

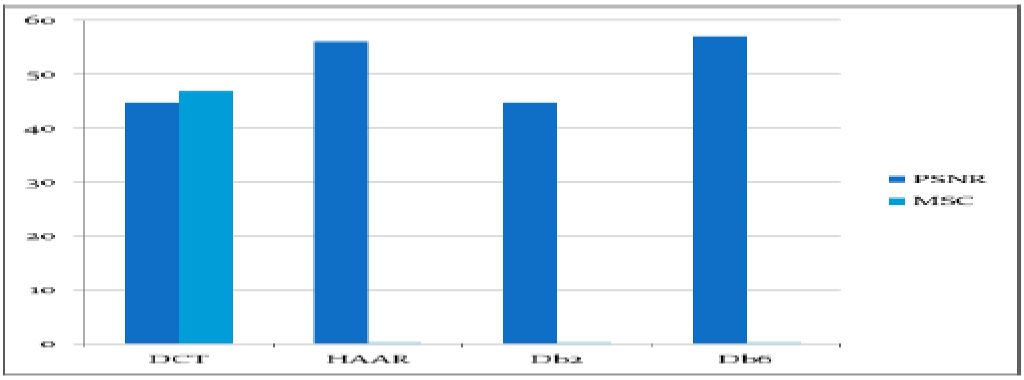

Fig:4: Graphical analysis for comparison between MSE and PSNR for different wavelet.

Fig:5:input image

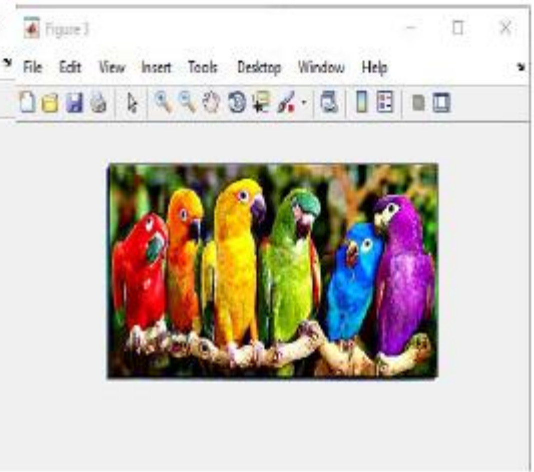

Fig:6:Output image

Simulation result:

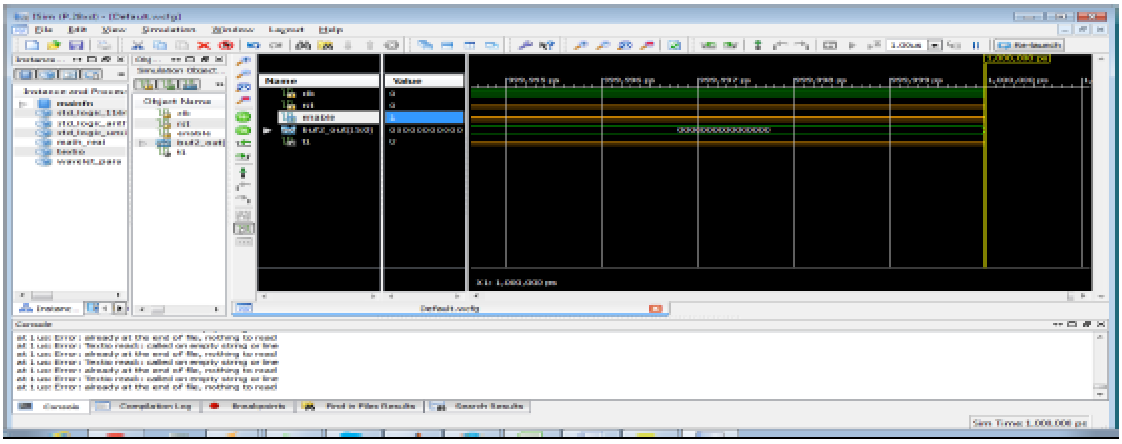

Fig 7: simulation result in VHDL

V. Conclusion

This system presents a novel technique for image compression, by which orthogonal filter with DWT is exploited as a tool for obtaining Feature points and encoding process. We explore DWT to encode the Feature points and IDWT to decode the Feature points. The reconstructed image is generated through inverse Feature transform. The filter architecture to optimize the filter bank section in the proposed architecture and to modify the filter section in required wavelet transform. The transform function to improve the image processing methodology. This paper mainly focused by the image processing with hardware FPGA unit. The hardware section to develop by the image processing architecture and to optimize the filter and transform architecture and to reduce the power consumption level compare to the existing methodology. And to improve the proposed system function in the image filtering operation.. future work is to modify the internal adder architecture carry propagation for wavelet filters architecture. The filter architecture optimization to improve the filtering performance level. And to reduce the delay level compare to the proposed methodology and to reduce the power consumption also. The filter architecture requires more time due to the image filtering process

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