

## An Evolutionary Approach to Bombay Stock Exchange Prediction with Deep Learning Technique

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**Abstract:** The prediction and analysis of stock market data have gotten a vital role in today's economy. The financial prediction or in particular stock market prediction is one of the hottest fields of research lately due to its commercial applications owing to high stakes and the kinds of temptations gain that it has to offer. In this paper, we are using two types of models and compared those using historical data from the Bombay Stock Exchange. The models used were based on firstly, the Deep learning parameters updated through particle swarm optimization and secondly, the Deep learning parameters updated through the least mean square and data taken from Bombay Stock Exchange (BSE). The Deep learning algorithms vary extensively in the preference of network structure, activation function, and other model parameters, and their performance is known to depend heavily on the procedure of data representation. Its capability to extract features from a huge set of raw data without believing on earlier knowledge of predictors makes deep learning potentially tempting for Bombay stock market prediction at high frequencies. The predicting the Bombay stock price of a company based on the historical value day to day open, high, low, close and volume of the related index. The outcome of the experiment has been depicted with the assistance of appropriate curves where a comparative analysis of the two types of models is done on the basis of several parameters. This prediction model is used with some general indicators to maximize the return and reduce the risk of the stock market. From the outcome obtained, it is understandable that the deep neural network models are competent of recognizing the patterns existing in the Bombay stock markets.

**Keywords:** Bombay Stock Exchange, Deep Learning, Particle Swarm Optimization, Prediction, Least Mean Square, Stock Market.

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### I. Introduction

Nowadays the stock market is a major part of a country's economy, understanding it is becoming more and more necessary. The prophecy the stock market is an essential field of identifying the future value of the price for preferable exchange of finance between the companies having the shares. In the scope of forecasting the financial status, stock market prediction has become a major one [1]. Once the financial status of a company has been as a matter of fact predicted, the investors will be confidently investing their money. A stock is really a part of a company and gives the owner of the stock the right to a part of the company's present and future net assets [2]. These stocks are bought and sold by investors on several stock markets worldwide. The stock market is a supply and demand market and has a lot of stockholders dedicating time and money to [3] develop models and techniques to assess the trend of the market for monetary gain. Accordingly, a lot of notice had been devoted to the analysis and prediction of future values and trends of the financial stock markets, and due to applications in several business transactions, stock market prediction has become an avid topic of research [4]. There is no suspicion that the large number of the people related to stock markets are trying to achieve benefit. The profit is obtained by investing in stocks that have a good future (short or long term future). The various methods exist for predicting the stock market and one of the most common is to use [5] software that uses graphical and statistical technique to prophecy the market [6]. The objective of prophecy research has been largely beyond the capability of conventional artificial intelligence research which has basically focused on developing intelligent systems that are supposed to emulate human intelligence. By its nature the stock market is mostly sophisticated (non-linear) and volatile. For the predictive model, we propose to use deep learning [7] to capture the impact of news events over a history that is longer than a day. Deep learning is essentially a self-

reliant, self-teaching system in which you use existing data to train algorithms to discover patterns and then use that to make predictions about new data [8]. Deep learning is a subset of machine learning in artificial intelligence that has networks, competent of learning unsupervised from data that is [9] unlabeled or unstructured. Deep learning models can gain a state-of-the-art precision, sometimes exceeding human-level performance. This model is trained by using a huge set of labeled data and neural network architectures that contain several layers [10]. Farther the market simulation shows that our model is more proficient of making profits compared to foregoing techniques. To our knowledge, we are the first to use a deep learning model for event-driven Bombay stock market prediction [11], which gives the best reported outcome in this paper.

## **II. Related Work**

This section introduces the related work from the stock market prediction method. For the past few decades, soft computing has been used for stock market prediction. Halbert White in [12] reported some results of an on-going project using neural network modeling and learning techniques to search for and decode nonlinear regularities in asset price movements. The main focus on case of IBM common stock daily returns. Kyoung-jae Kim and Won Boo Lee [13] developed a feature transformation method using genetic algorithms. This technique decreases the dimensionality of the feature space and removes irrelevant factors involved in stock price prediction. Tiffany Hui-Kuang and Kun-Huang Huang in [14] used neural network because of their capabilities in handling nonlinear relationship and also implement a new fuzzy time series model to improve forecasting. The fuzzy connection is used to predict the Taiwan stock index. In the neural network, fuzzy time series model where as in sample observations are used for training and out-sample observations are used for forecasting. The Asif Perwej, Yusuf Perwej, Nikhat Akhtar and Firoj Parwej [15] introduced radial basis function (RBF) and function linked artificial neural network (FLANN) algorithms for prophecy of financial data. The based our models on data taken and differentiate those using historical data from the Bombay Stock Exchange (BSE). The RBF and FLANN parameters updated by Particle swarm optimization (PSO). Another research done on genetic algorithms (GAs) by Kyoung-jae Kim [16] to predict stock market by using GA not only to improve the learning algorithm, but also to reduce the complexity of the feature space. Thus, this technique decreases dimensionality of the feature space and improve the generalizability of the classifier. Tong-Seng Quah in [17] presented methodologies to select equities based on soft-computing models which focus on applying fundamental analysis for equities screening. This paper compares the performance of three soft-computing models, namely multilayer perceptrons (MLP), adaptive neuro-fuzzy inference systems (ANFIS) and general growing and pruning radial basis function (GGAP-RBF). Roman et al performed an analysis on multiple stock market return using Back propagation and RNN [18]. The Chen et al. [19] proposed a double-layer neural network for high-frequency forecasting, with links specially designed to capture dependence structures among stock returns within different business sectors. M. thenmozhi et al in [20] presented studies on artificial neural networks that have the capacity to learn the underlying mechanics of stock markets. Actually, artificial neural networks have been widely used for forecast financial markets. In spite of, such applications to Indian stock markets are scarce. This paper enforces neural network models to forecast the daily returns of the BSE Sensex. The multilayer perceptron network is used to construct the daily returns model and the network is trained using an error back propagation algorithm. In [21], they used ML algorithms like Least Square Support Vector Machine (LSSVM) and Particle Swarm Optimization (PSO) for stock market prediction. J. Štěpánek et al [22], a proposed data mining approach using genetic algorithms (GA) to solve the knowledge acquisition problems that are inherent in constructing and maintaining rule-based applications in the stock market. The Jacek in [23] presented neuro-evolutionary method for a short-term stock index prophecy is presented. The data is gathered from the German stock exchange (the target market) and two other markets (Tokyo Stock Exchange and New York Stock Exchange) together with EUR/USD and USD&JPY exchange rates. The artificial neural networks endorsement by genetic algorithm are used as the prediction engine. In [24], Kim et al proposed a different approach for stock market prediction. Emad W. Saad et al. in [25] compared three networks for low false alarm stock trend predictions. The short-term trends, especially tempting for neural network analysis, can be used profitably in scenarios such as option trading, but only with considerable risk. Jia H. i et al conducted a comparison study between Feed Forward MLP an Elman Recurrent Network for predicting the stock value of company [26]. Qui-yong Zhao in [27] predicted accuracy of price date by the traditional BP network by considering a single closing price as the time series vector. But, in this paper author also add another factor vector to the BP network input vector so that low training accuracy caused by the a large number of factors can be recovered. Ching-Hseuecheng, Tai-Liang chen, Liang-Ying Wei in [28] this paper proposed a hybrid forecasting model using multi-technical indicators to predict stock price trends. There are four method mentions such as select the essential technical indicators, the favorite indicators based on a correlation matrix and use CDPA to minimize the entropy principle approach. In 2016 Chiang et al. proposed a dynamic stock prediction system using Predicted Square Error (PSE) and neural network [29]. Feng Li et al. in [30] analyzed complexity of the interior and a variety of exterior structure of the stock price system based on BP neural

network to provide a prediction model for stock market by utilizing three-layered feed forward neural networks, presents topology of network, principles of determining the number of hidden layers selection and pre-treatment of sample data and determination of preliminary parameters. Chong et al. [31] applied a deep feature learning-based stock market prediction model, which extract information from the stock return time series without relying on prior knowledge of the predictors and tested it with high-frequency data from the Korean stock market.

### **III. Familiarization to the Stock Market**

A stock market is a collection of buyers and sellers of stocks. In this section we are going to discuss some of the basics of stock market i.e. What is stock market, stock market index, stock exchange and many other concepts related to the stock market.

#### **3.1 Stock Market**

A stock market is essentially a genuine forum where buyers and sellers of an asset can meet to trade standardized share instruments. The stock markets are handled by stock exchanges, which accept submissions from public business firm to be listed for the public sale of their securities [32]. In order to become listed, business firm must meet extensive qualifying thresholds, designed to safeguard traders and ensure a level of standardization in shares across the market. Stock markets assess the price of underlying assets, by matching the prices willing to be paid by both sellers and buyers to identify the market price of an asset at any particular time. A stock that is highly in demand will increase in price, whereas as a stock that is being heavily sold will deficiency in value.

#### **3.2 Stock Market Index**

The stock market index is the procedure of showing the comprehensive performance of all the companies that are listed on the stock market with a single number. This stock market index Number is used by all the investors and traders to understand the present comprehensive performance of the market and in the prophecy future of the stock market depending on the bygone values of the stock market index. The procedure of stock selection could be the type of industry, market capitalization or the size of the company [33]. The value of the stock market index is computed using the values of the basic stocks. Any transformation taking place in the underlying stock prices influence the overall value of the index. If the prices of most of the underlying securities enlargement, then the index will enlargement and vice-versa. In this procedure, a stock index reflects the overall market sentiment and direction of price transaction of products in the financial, commodities or any other markets. There are two major classes of indexes in use firstly equally weighted price index in this index, is calculated by taking the average of the prices of a set of companies and secondly market capitalization weighted index, in this index, each of the N companies' prices is weighted by the market capitalization of the company.

#### **3.3 Stock Broker**

Prior to comprehend about what the stock brokers do, you need to know who is a stock broker. Whenever you want to buy or sell shares from the stock exchange you have to do so via registered stock brokers. A stock broker is a professional individual who carries out buy and sell orders for stocks and other securities via a stock market, or over the counter, for a fee or commission. Stockbrokers are commonly allied with a brokerage firm and manage transactions for retail and institutional customers. A stock broker acts an agent to investor and has exclusively performed a service for the investor. This means that the broker will buy for the buyer and sell for the seller, each time making certain that the best price is acquired for the client [34]. Pursuant to an investor, a stockbroker is believed as the one who provides a valuable service and information to help in making the right investment decision. There are two types of stock brokers. Firstly the full-time service brokers are traditional brokers offering trading (commodities, stocks and currency), research and advisory, investment banking, sales and asset management under one roof. They also permit investing in Mutual Funds, IPOs, Forex, FDs, Bonds and Insurance. In some incident full-service brokers also have in-house banking and demat account services. Secondly the discount brokers offer low brokerage, high speed and the state-of-the-art execution platform for trading in stocks, commodities and currency derivatives. They offer a no-frills brokerage service for do-it-yourself traders who comprehend the market well. They are also known as online brokers who offer savings of 75 to 90% on brokerage.

#### **3.4 What Role Does It Play**

The role of stock markets is a vital one, as the portal to funding private business. Stock markets assent companies access to pools of private capital, which can be used to fund business rise and development, or the purchase of new assets. In the absence of access to private funding, businesses would be more constrained in the projects they can contemplate funding and would because be unable to truly capitalize on the equity in their company. By the way, stock markets make it practicable for business owners to ultimately cash out their

positions for a profit, by selling their shares in the open market. The economic gain of stock exchanges and stock trading are untold, and without the facility in place for trading equity in this way, companies would quest expansion to a greater extent challenging. For individuals and traders, stock markets also have a vital role to play in the sense that they assent traders to generate a return on their capital, such that it is appropriate for capital to be invested in the financial markets. This dual functionality makes it essential for both traders and companies as a means of facilitating the capital effluent.

### **3.5 How Do The Financial Markets Work**

The stock markets work because sellers and buyers are willing to engage in trade in an asset. When stocks are purchasing, their value grows incrementally on a per share basis to reflect the growing demand for that asset. When shares are sold, the value is depressed by an equal amount, alike to the influence of the share sale on the total market price at any given time. This creates the mild price curve that markets tend to see, where the overarching trends cycle (unless there is underlying growth or depression in the value of the company), allowing traders to purchase low and sell high in where the chance exist to do so.

### **3.6 How Can It Be Traded For Profit**

In order to trade shares fruitfully, their requirement firstly is capital growth in the size of a position. This is attained by trading in markets that are expected to increase, or by shorting markets that you expect to slide, and any difference between the closing and opening value can represent a capital gain or loss on the particular position. Share dealers are fortunate in being able to gain in a secondary way, therewith to this level of capital growth, through the dividend yield. Dividends are shares in company profits paid out to shareholders at regular intervals ubiquitously the year, and those traders that hold dividend paying shares when the dividend is declared are entitled to receive the payment. This creates two distinct layers of fruitfully for traders engaging in stock market trading.

### **3.7 Stock Exchange**

A stock exchange is a corporation or mutual organization which endues trading convenience for stock brokers to trade in stocks and other securities. The securities traded on a stock exchange comprise shares issued by companies, unit trusts, derivatives, pooled investment products and bonds [1]. The primary function of a stock exchange is to facilitate the transactions associated with both buying and selling of securities. Afterwards, sellers and buyers of shares and stocks can track the price changes of securities from the stock markets in which they operate. Stock exchanges may also ensue facilities for the issue and redemption of such securities and instruments and capital events comprise the payment of income and dividends. A number of major stock exchanges globally and each of these plays a part in determining the overall economic condition [32]. In the end, stock exchanges have several roles in the economy, this may contain raising capital for businesses, government capital-raising for development projects, facilitating company rise, profit sharing, corporate governance, creating investment opportunities for small investors, mobilizing savings for investment, barometer of the economy.

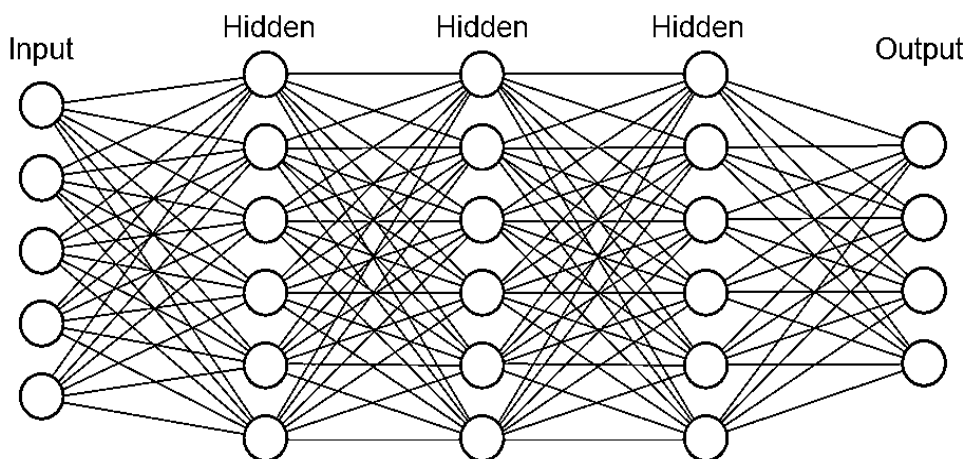
### **3.8 Stock Market Prediction and Classification**

The efficient-market hypothesis (EMH) affirm that financial markets are informationally efficient, or that prices on traded assets (e.g., stocks, bonds, or property) already reflect all known information, and immediate modification to reflect new information. Hereupon, according to theory, it is not possible to consistently outperform the market by using any information that the market already knows, except via luck. Knowledge or news in the EMH is defined as anything that may affect prices that is unknowable in the present and thus become visible randomly in the future. Stock market prediction brings with it the challenge of vindicate whether the financial market is predictable or not, since there has been no consensus on the validity of Efficient Market Hypothesis (EMH). The Efficient Market Hypothesis (EMH) is an application of 'Rational Expectations Theory' where people who enter the market [35], use all available & relevant information to make better conclusions. The only caveat is that information is costly and arduous to get. This Efficient Market Hypothesis implies that stock prices reflect all available and pertinent information, so you can't outguess the market or systemically beat the market. This means it's not possible for investors to either purchase undervalued stocks or sell stocks for inflated prices. Subsequently, the Random Walk Theory or the Random Walk Hypothesis is a mathematical model of the stock market. The random walk theory is the phenomena of an incident determined by a series of random movements, in other words, the incident that cannot be predicted. The random walk theory recommends that variations in stock prices have the same distribution and are independent of each other, hereupon, the past movement or trend of a stock price or market cannot be used to predict its subsequent movement. In short, this is the opinion that stocks take a random and unpredictable path [36]. Random walk theory demands that it is not possible to predict which way prices will go in the world of investments. In this

scenario, shares and some other financial assets follow a random walk. In other words, it is infeasible to know whether the next price movement will be up or down, or how steeply that rise or fall might be. Pursuant to many economists, this volatility means that investors will never be able to outperform the market conformably. Few economists, although, disagree and claim that asset prices do follow a non-random walk, and they can be predictable. They emphasize that it is possible to outperform the markets consistently. According to the random walk theory, stock price variations have the same distribution and are completely independent of one another. Hereupon, it is not feasible to use the past trends to predict where a market will go.

#### IV. Deep Learning

The field of artificial intelligence is essentially when machines can do tasks that typically need human intelligence. It encompasses machine learning, where machines can learn by experience and gain skills without human participation. The deep learning is a subset of machine learning where artificial neural networks, the algorithms influence of the human brain, learn from huge amounts of data [37]. Unlike conventional machine learning algorithms, many of which have a finite capacity to learn no matter how much data they obtain, deep learning systems can ameliorate their performance with access to more data [9]. Deep learning permits machines to solve sophisticated issues, even when using a data set that is very diverse, unstructured and interconnected. Any Deep neural network will be made up of three types of layers first input layer, second hidden layer and third the output layer shown in figure 1. The deep learning is a Neural Network be made up of a hierarchy of layers, whereby each layer transforms the input data into more abstract representations. These sequencecy of layers, between input and output, recognize the input features and create a series of new features based on the data, just as our brain. In deep learning the several layers a network has, the higher the level of features it will learn. The output layer amalgamates all these features and makes a prediction.



**Figure 1. The Deep Learning**

In the above diagram, the first layer is the input layer which receives all the inputs and the last layer is the output layer which endues the desired output. All the layers in between these layers are called hidden layers [38]. There can be n number of hidden layers. The number of hidden layers and the number of perceptrons in every layer will entirely depend on the use-case we are trying to solve.

#### V. How Deep Learning Works

Deep learning networks learn by discovering sophisticated structures in the data they experience. By building computational models that are composed of several processing layers, the networks can create several levels of abstraction to represent the data [39]. In an endeavor to re-engineer a human brain, deep learning studies the basic unit of a brain called a brain cell or a neuron shown in figure 2. Inspired from a neuron an artificial neuron or a perceptron was developed [40]. At the moment, let us comprehend the functionality of biological neurons and how we mimic this functionality in the perceptron or an artificial neuron. If we focus on the structure of a biological neuron, it has dendrites, which are used to obtain input. These inputs are summed in the cell body and using the Axon it is passed on to the next biological neuron as shown in the below image. Correspondingly, a perceptron receives several inputs, applies different transformations and functions and provides an output [40]. As we know that our brain consists of several connected neurons called neural network, we can also have a network of artificial neurons called perceptrons to form a deep neural network.

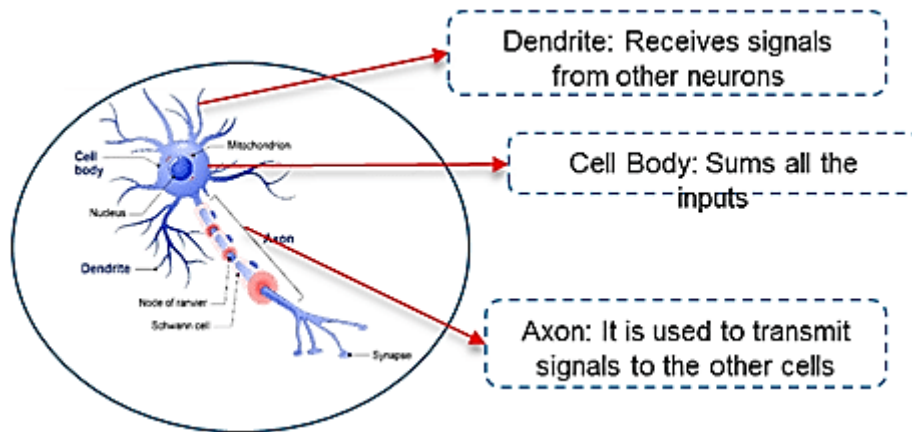


Figure 2. The Neuron

### VI. Deep Learning Model for Bombay Stock Exchange Prediction

A prediction or forecast, is a statement about a future incident [41]. The stock market prediction is the act of an attempt to determine the future price of a company stock or other financial instrument traded on an exchange. The victorious prediction of a stock's future price could yield considerable profit. A deep neural network is a neural network with a certain level of insolubility, a neural network with more than two layers. Deep neural networks use intricate mathematical modeling of process data in complex ways. Deep learning eliminates the manual identification of features in the data and, alternatively, relies on whatever training process it has in order to explore the useful patterns in the input examples.

#### 4.1. The Structure

For every Bombay stock, we seek a predictor function  $f$  in order to predict the Bombay stock return at time  $t + 1$ ,  $r_{t+1}$ , given the features  $fu_t$  extracted from the information acquired at time  $t$  [42]. We assume that  $r_{t+1}$  can be decomposed into two parts, firstly the predicted output  $\hat{r}_{t+1} = f \circ \phi(R_t)$ , and secondly the unpredictable part, which we regard as Gaussian noise like

$$r_{t+1} = \hat{r}_{t+1} + \gamma$$

$$\gamma \sim N(0, \beta)$$

Where  $N(0, \beta)$  indicate a normal distribution with zero mean and variance  $\beta$ . The representation  $fu_t$  can be either a linear or a nonlinear transformation of the raw level information  $R_t$ . Denoting the variation function by  $\phi$ , we have

$$u_t = \phi(R_t)$$

$$\hat{r}_{t+1} = f \circ \phi(R_t)$$

For our experiment, we define the raw level information as the past returns of the Bombay stocks in our sample. If there are  $S$  stocks in the sample and  $g$  lagged returns are selected,  $R_t$  will have the form

$$R_t = [r_{1,t}, \dots, r_{1,t-g+1}, \dots, r_{M,t}, \dots, r_{S,t-g+1}]^T \in \mathbb{R}^{Mg}$$

Where  $r_i t$  indicate the return on Bombay stock  $i$  at time  $t$ .

#### 4.2. Deep Neural Network

A Neural network specifies the nonlinear relationship between two variables  $V_t$  and  $V_{t+1}$  through a network function, which typically has the form

$$V_{t+1} = \delta(WV_t + b)$$

Where  $\delta$  is called an activation function, and the matrix  $W$  and vector  $b$  are model parameters. The variables  $V_t$  and  $V_{t+1}$  are said to form a layer, when there is only one layer between the

variables, their relationship is called a single-layer neural network [15]. The Multilayer neural networks, augmented with advanced learning methods are commonly referred to as deep neural networks [42]. A deep neural networks for the predictor function,  $y = f(u)$ , can be constructed by serially stacking the network functions as follows.

$$\begin{aligned} V_{1+1} &= \delta_1(W_1 u + b_1) \\ V_{i+1} &= \delta_i(W_i V_i + b_i) \\ y &= \delta_L(W_L V_{L-1} + b_L) \end{aligned}$$

Where  $L$  is the number of layers.

Given a Bombay stock dataset  $\{u^n, T^n\}_{n=1}^N$  of the inputs and targets, and an error function  $\varepsilon(y^n, T^n)$  that measures the distinction between the output  $y^n = f(u^n)$  and the target  $T^n$ , the model parameters for the entire network,  $\theta = \{W_1, \dots, W_L, b_1, \dots, b_L\}$ , can be selected so as to minimize the sum of the errors.

$$\min_{\theta} \left[ J \sum_{n=1}^N \varepsilon(y^n, T^n) \right]$$

Given an appropriate selected of  $\varepsilon(\cdot)$  Its gradient can be acquired analytically through error backpropagation [43]. In this case, the minimization issue in the above can be solved by the usual gradient descent method. An appropriate choice for the objective function that we take in this paper has the form like

$$J = \left[ \frac{1}{N} \sum_{n=1}^N \|y^n, T^n\|^2 + \lambda \cdot \sum_{l=1}^L \|W_l\|_2 \right]$$

Where  $\|\cdot\|$  and  $\|\cdot\|_2$  respectively denote the Euclidean norm and the matrix  $L_2$  norm. The second term is a regularization added to keep away from overfitting, while  $\lambda$  is a user-defined coefficient.

### 4.3. Training Criteria

The training criterion should be easy to assess and be highly correlated to the final target of the Bombay stock task, so that the reformation in the training criterion would lead to the reformation in the final assess score. Preferably, the model parameters should be trained to minimize the expected loss

$$MP_{EL} = E(MP(W, b; o, y)) = \int_0^1 MP(W, b; o, y) p(o) d(o)$$

Where  $MP(W, b; o, y)$  is the loss function given the model parameters  $\{W, b\}$ , the observation  $o$ , and the corresponding output vector  $y$ , and  $p(o)$  is the probability density function of observation  $o$ . Unluckily,  $p(o)$  is typically uncertain and needs to be estimated from the training set, and  $MP(W, b; o, y)$  is not well-defined (the desired output vector is uncertain) for samples inconspicuous in the training set. For this reason, the deep neural network model parameters are frequently trained to optimize the empirical standard.

### 4.4. Model Initialization

The deep neural networks are a highly nonlinear model and the training criterion with respects to the model parameters is nonconvex, the initial model can greatly impress the resulting model. There are many heuristic tricks in initializing the deep neural network model. Most of these adroitness is based on two considerations. In the first instance, the weights should be initialized so that each neuron operates in the linear range of the sigmoid function at the start of the learning. If weights were all very huge, many neurons would saturate (close to zero or one) and the gradients would be very small. When the neurons operate in the linear range, alternatively, the gradients are huge enough (close to the maximum value of 0.25) that learning can proceed efficaciously. Bear in mind that the excitation value depends on both the input values and the weights. In the second instance, it is vital to initialize the parameters arbitrarily. This is because neurons in the deep neural networks are symmetric and interchangeable. If all the model parameters have identical values, all the hidden layer neurons will have the same output value and detect the same feature patterns in the lower layers. Arbitrarily initialization serves the objective of symmetry breaking. The LeCun et al. [44] indicated to draw

values from a zero-mean Gaussian distribution with standard deviation  $\sigma \mathbf{W}^{\ell+1} = \frac{1}{\sqrt{FN_{\ell}}}$  to initialize the weights in layer  $\ell$ , where  $FN_{\ell}$  is the number of connections feeding into the node.

**4.5. Dropout**

The fundamental thought of dropout is to randomly omit a certain percentage of the neurons in each hidden layer for each presentation of the samples during training. This means during the training each random combination of the  $(1 - \zeta)$  remaining hidden neurons necessity to perform well even in the absence of the omitted neurons. This demands each neuron to depend less on other neurons to detect patterns [45]. On the other hand, dropout can be considered a technique that adds random noise to the training data. This is because each higher-layer neuron gets input from a random collection of the lower-layer neurons. The stimulation received by each neuron is different, even if the same input is fed into the deep neural networks. In the company of dropout, deep neural networks need to waste some of the weights to eliminate the effect of the random noise introduced. As such, dropout essentially eliminates the capacity of the deep neural networks, and thus can make a better generalization of the resulting model. When a hidden neuron is dropped out, its activation is set to 0 and so no error signal will pass via it [46]. This means that other than the random dropout operation, no other modification to the training algorithm are needed to implement this feature. At the test time, however, instead of using a random combination of the neurons in each hidden layer, we use the average of all the possible combinations. This can be effortlessly achieved by discounting all the weights involved in dropout training by  $(1 - \zeta)$ , and then using the resulting model as a normal deep neural networks. During the dropout training, we need to again and again pattern a random subset of activations at each layer. This would retard the training notably. For this reason, the speed of the random number generation and sampling code is critical to decrease the training time.

**4.6. Pattern Randomization**

The pattern randomization is beside the point to the batch training since all patterns are used to estimate the gradient. If the entire training set can be loaded into the memory, pattern randomization can be comfortably done by permuting an index array. Patterns can then be drawn one by one according to the permuted index array. Since the index array is typically much smaller than the features, this would cost less than permuting the feature vectors themselves, particularly if each data pass needs a dissimilar randomization order. This adroitness also assures that each pattern will be presented to the training algorithm once for each data pass, and thus will not influence the data distribution. This property will assure that the model learned is coherent.

**4.7. Momentum**

It is well-known that the convergence speed can be better if the model update is based on all the foregoing gradients as an alternative only the current one. Nesterov's accelerated gradient algorithm [47], which is proved to be optimal for the convex condition, is an example of this adroitness. In the deep neural network training, this is typically attained with a convenient technique named momentum. Where  $\rho$  is the momentum factor, which typically takes value of 0.9 to 0.99 when stochastic gradient descent or minibatch training is used. The momentum tranquil the parameter update and bring down the variance of the gradient estimation.

**4.8. Training Deep Neural Networks**

In this section, we build the predictor functions,  $\hat{r}_{i,t+1} = f_i(\text{fut})$ ;  $i = 1, \dots, S$  using deep neural networks, and equivalence, their predictive performance with a univariate autoregressive model with ten lagged variables. We make use of a three-layer network model of the form. Where CoLU is the corrected linear unit activation function defined as  $\text{CoLU}(x) = \max(x, 0)$ , with max being an element-wise operator. CoLU is known to endow a much faster learning speed than standard sigmoid units, while maintaining or even make better the performance when applied to deep neural networks [48].

$$\begin{aligned} V_1 &= \text{CoLU}(W_{1\text{fut}} + b_1) \\ V_2 &= \text{CoLU}(W_2 v_1 + b_2) \\ \hat{r}_{i,t+1} &= (W_3 V_2 + b_3) \end{aligned}$$



## VII. Learning Methods

### 7.1 Particle Swarm Optimization (PSO)

Particle swarm optimization works with a set of presumable solutions and constraints on an optimization issue. The optimization issue has to have a target condition then the algorithm works, to solve the issue and provide the optimal values. The particle swarm optimization was developed in 1995 by Russell Eberhard and James Kennedy [15]. These researchers started out to stare at computer simulations of bird flocking, and then worked to surpassing the algorithm based on this research. The PSO algorithm has a number of desirable properties, containingenuityof implementation, scalability in dimension, andbetter empirical performance, it has been applied to solve many real-world issue, such as short termload forecasting [49], and the soft sensor [50]etc. In particle swarm optimization SP denotes the size of the swarm population. In PSO, each particle  $j$  ( $j = 1, \dots, SP$ ) has a position  $y_j = (y_{j,1}, y_{j,2}, \dots, y_{j,n})$  in the searchspace and a velocity  $V_j = (V_{j,1}, V_{j,2}, \dots, V_{j,n})$  to gesture itspresentstate. A position  $y_i$  denotes a presumable solution. The position  $y_i$  and the velocity  $V_j$  are updated with the best position  $bp_j = (bp_{j,1}, bp_{j,2}, \dots, bp_{j,n})$  encountered by the particle so far and the optimal position  $bp_g = (bp_{g,1}, bp_{g,2}, \dots, bp_{g,n})$  found by the entirepopulation of particles according to the following equation.

$$V_{j,d}(t+1) = \omega V_{j,d}(t) + lf_1 r_1 (bp_{j,d}(t) - y_{j,d}(t)) + lf_2 r_2 (bp_{g,d}(t) - y_{j,d}(t))$$

$$y_{j,d}(t+1) = y_{j,d}(t) + V_{j,d}(t+1)$$

Where  $lf_1$  and  $lf_2$  are two learning factors which control the impact of the social and cognitive components,  $r_j$  ( $j = 1, 2$ ) are random numbers in the range  $[0, 1]$  and  $\omega$  is the inertia weight, which make sure the convergence of the PSO algorithm and is decreased linearly. When PSO is incorporated to update parameters of deep neural networkstructure, the dissimilar parameters of deep neural networks, including the mean, variance and weights of the output layer are to be updated. These parameters as a whole be regarded as a particle and each particle searches for the solution by investigation the fitness function. PSO is initialized with a group of random particles and then discovery for optima by updating generations. In every iteration, each particle is updated by following two optimal values. The first one is the best solution (fitness) it has achieved so far after that best value is also stored. This value is called pbest [51]. Another best value that is tracked by the particle swarm optimizer is the best value, acquired so far by any particle in the population. This optimal value is a global best and called gbest. When a particle takes part of the population as its topological vicinal, the best value is a local best and is called lbest.

### 7.2 Least Mean Square

The Least Mean Square (LMS) algorithm, presented by Widrow and Hoff in 1960 [52] is an adaptive algorithm, which uses a gradient-based method of steepest decent. The LMS algorithm uses the estimates of the gradient vector of the obtain data. LMS includes an iterative procedure that makes successive reformation to the weight vector in the direction of the negative of the gradient vector which eventually leads to the minimum mean square error [53]. Differentiate to other algorithms LMS algorithm is relatively uncomplicated, it does not expect the correlation function calculation nor does it expect matrix inversions. The least-mean-square (LMS) algorithm is based on the use of coinstantaneous estimates of the autocorrelation function  $r_x(j,k)$  and the cross-correlation function  $r_{dx}(k)$ .

$$\hat{r}_x(j,k,n) = x_j(n)x_k(n)$$

$$\hat{r}_{dx}(k,n) = x_k(n)d(n)$$

The use of a hat in  $\hat{r}_x$  and  $\hat{r}_{dx}$  is intended to signify that these quantities are evaluated. In a nonstationary environment, in which case all the sensory signals and the desired reaction assume time-varying forms too. Thus, use the instead of  $\hat{r}_x(j,k,n)$  and  $\hat{r}_{dx}(k,n)$  in place of  $r_x(j,k)$  and  $r_{dx}(k)$  now we get

$$\begin{aligned} \hat{w}_k(n+1) &= \hat{w}_k(n) + \eta \left[ x_k(n)d(n) - \sum_{j=1}^p \hat{w}_j(n)x_j(n)x_k(n) \right] \\ &= \hat{w}_k(n) + \eta \left[ d(n) - \sum_{j=1}^p \hat{w}_j(n)x_j(n) \right] x_k(n) \end{aligned}$$

$$= \hat{w}_k(n) + \eta [d(n) - y(n)] x_k(n)$$

Where  $k = 1, 2, 3, 4, \dots, P$  and  $y(n)$  is the output of the spatial filter computed at iteration  $n$  in conformity with the LMS algorithm; that is,

$$y(n) = \sum_{j=1}^p \hat{w}_j(n) x_j(n)$$

We have used  $\hat{w}_k(n)$  in place of  $w_k(n)$  to emphasize the fact that include estimates of the weights of the spatial filter. In the technique of steepest descent applied to a familiar environment, the weight vector  $w(n)$ , made up of the weights  $w_1(n), w_2(n), \dots, w_p(n)$ , starts at some initial value  $w(0)$ , and then follows a precisely defined trajectory (along the error surface) that lastly terminates on the optimum solution  $w_o$ , endow that the learning-rate parameter  $\eta$  is selected decently [53]. In contrast, in the LMS algorithm applied to an unfamiliar environment, the weight vector  $\hat{w}(n)$ , representing an estimate of  $w(n)$ , follows a random trajectory. For this cause, the LMS algorithm is sometimes referred to as a stochastic gradient algorithm. As the number of iterations in the LMS algorithm approaches infinity,  $\hat{w}(n)$  performs a random walk (Brownian motion) about the optimum solving a problem  $w_o$ . The deep neural network structure has the following parameters used for Bombay stock. Firstly the  $n$  centres of deep neural networks where there are  $n$  nodes in the hidden layer, and secondly the  $n$  variance of deep neural networks where there are  $n$  nodes in the hidden layer and eventually the weights in the output layer. It is also vital to recognize that the LMS algorithm can operate in a stationary or nonstationary environment.

### VIII. Data Preprocessing and Input Selection

The data for the stock market prediction test has been collected for the stock indices, namely Bombay Stock Exchange (BSE). The time series data of all the stock indices were collected from 5<sup>th</sup> October 2018 to 5<sup>th</sup> November 2018. Thus, there were 2000 data sample of the Bombay Stock index. The data collected for the stock indices consisted of the ending price, opening price, and the lowest value in the day, highest value on the day and the total volume of stocks traded in each day [54]. The proposed prediction model is developed for predicting the ending price of the index in each day of the prediction period of Bombay Stock Exchange. The various technical and fundamental indicators are used as inputs to the network. Technical indicators are any class of metrics whose value is derived from generic price activity in a stock or asset. Technical indicators look to predict the future price levels [55], or simply the general price direction, of a security by looking at past sample of Bombay Stock Exchange. The details of the parameters and how they are calculated from the obtainable data is given below.

#### 8.1 Simple Moving Average

A simple moving average (SMA) is an arithmetic moving average calculated by adding recent ending prices and then dividing that by the number of time periods in the average calculation. A simple, or arithmetic, moving average that is calculated by adding the ending price of the security for a number of time periods and then dividing this total by that same number of periods. The various SMAs used in the test are.

$$\frac{1}{ND} \sum_{i=1}^{ND} TP_i$$

ND is a number of days and  $TP_i$  is present price.

- 1 days (SMA1)
- 10 days (SMA10)
- 30 days (SMA30)
- 60 days (SMA60)

#### 8.2 Accumulation & Distribution Oscillator

Accumulation & distribution are a momentum indicator that efforts to assess supply and demand by determining whether investors are generally buying (accumulating) or selling (distributing) a few stocks. The Accumulation & distribution measure seeks to identify the difference between stock price and volume flow. The Accumulation & distribution of a security are calculated from initial calculating the cash flow multiplier and then multiplying the money flow multiplied by the period's volume.

$$ADO = ((\text{Close} - \text{Low}) - (\text{High} - \text{Close})) / (\text{High} - \text{Low}) * \text{Period's Volume}$$

Each and every day's ADO has been taken during the experiment.

### **8.3 On Balance Volume**

The On Balance Volume (OBV) measures buying and selling pressure as a cumulative indicator that adds volume on up days and subtracts volume on down days. The On Balance Volume (OBV) line is straightforwardly a running total of positive and negative volume. A period's volume is positive when the close is above the foregoing close. A period's volume is negative when the close is below the foregoing close. To utilize OBV requires a comprehension of how the indicator operates, how it can be used to aid trading verdict, and its restrictions.

If Present's close > Yesterday's Close

$$OBV = \text{Yesterday's OBV} + \text{Present's Volume}$$

If Present's close < Yesterday's Close

$$OBV = \text{Yesterday's OBV} - \text{Present's volume}$$

### **8.4 Exponential Moving Average (EMA)**

An exponential moving average (EMA) is a type of moving average that places a greater weight and importance of the most recent data points. Moving averages lag because they are based on bygone prices. In spite of this lag, moving averages help smooth price action and filter out the noise. The exponential moving average is also designated to as the exponentially weighted moving average. An exponentially weighted moving average responds more noticeably to recent price modify than a simple moving average (SMA), which enforces an equal weight to all observations in the period.

$$EMA = (\text{ending price} - \text{previous day's EMA}) * \text{smoothing constant} + \text{previous day's EMA}$$

Where the smoothing constant is  $2/(\text{number of time periods} + 1)$

### **8.5 Williams %R**

The Williams %R is a momentum indicator that is the inverse of the Fast Stochastic Oscillator. Also indicated to as %R, Williams %R reflects the level of the close relative to the highest high for the look-back period. In contrast, the Stochastic Oscillator reflects the level of the ending relative to the lowest low. The %R rectifies for the inversion by multiplying the raw value by -100. As an outcome, the Fast Stochastic Oscillator and Williams %R produce the appropriate same lines, only the scaling is dissimilar. Williams %R oscillates from 0 to -100. Readings from 0 to -20 are considered overbought. Readings from -80 to -100 are considered oversold. Amazingly, signals derived from the Stochastic Oscillator are also applicable to Williams %R.

$$\text{Calculation of Williams \%R} = (\text{Highest high in } n \text{ periods} - \text{Present's close}) * 100 / (\text{Highest high in } n \text{-periods} - \text{Lowest low in } n \text{-periods})$$

For this experiment  $n = 9$  days

### **8.6 Price Rate of Change (PROC)**

The price rate of change (PROC) is a technical indicator of momentum that measures the percentage transformation in price between the present price and the price  $n$  periods in the past. The PROC calculation compares the present price with the price " $n$ " periods ago. The plot forms an oscillator that fluctuates above and below the zero line as the price Rate-of-Change transmigrates from positive to negative. As a momentum oscillator, PROC signals contain centerline crossovers, divergences and overbought-oversold readings.

$$(\text{Present's close} - \text{Close } x \text{-periods ago}) * 100 / (\text{Close } x \text{-periods ago})$$

## **IX. Model Setup Using Deep Neural Network**

The data pattern is taken from stock exchange data and data pattern is collected from the historical values of Bombay Stock Exchange data. The deep neural network function has a hierarchy of hidden layers having 12 centres the activation function is a Gaussian-Bernoulli RBM one which depends on the gradient descent which is gradient descent of input pattern from the designated centres. Thus the first layer is a hierarchy dependency. The resultant is multiplied by a weight corresponding to each centre and all of these are summed up to give a value which is called the plant output. The deep neural network function has thus had 12 centres ( $12 * 12 = 144$  weights, as 12 input parameters are being fed into the deep neural network), 12 variances and 12 hierarchy weights corresponding to the 12 centres for each input pattern. These parameters are trained using either particle

swarm optimization and least mean square algorithm. The total data set of a particular Bombay Stock market index is fragmented up into two, one for the training of the network and the rest for testing the performance of the network after freezing the weights. In this experiment we take approx 2000 to 3000 daily statistical data on the Bombay stock index as training set. The remainder 1200 values are set aside for testing.

## **X. Training and Testing Process for Bombay Stock Exchange**

### **10.1 Training Process for Bombay Stock Exchange**

In deep neural network model,  $12 * 12 = 144$  weights, (associated with mean), 12 for a variance and 12 as hierarchy weight constitutes a solution to the model. All these weights are improved through particle swarm optimization and least mean square algorithm. The input data set is also normalized before the network training. The weights abide static till all of the training data set is fed into the network, equivalence with the desired output and their respective error stored. The mean error for the entire epoch is numerated, and then the adaptive weight update takes place. The Least Mean Square (LMS) update algorithm and PSO is used in our experiment to upgrade the weights by adding the product of the convergence constant, the particular input with the mean error for the epoch to the weights of the preceding epoch. The price function of the training process is the Mean Square Error (MSE). It is appropriate to end the training of the network when the minimum level of the cost function is observed. Consequently, for each iteration (epoch), the mean square error is calculated and plotted. Each of the iterations involves training the network with the 5000-odd patterns, calculation of mean error, weight update and representing the MSE. The number of iterations is determinative upon by the gradient of the MSE curve. If it is observed that there is no vital decrease in the MSE then the training experiment can be stopped. There happens a trade-off between the time taken and standard of training. The high number of iterations incline to give a superior level of training the network at the cost of time taken to train. The PSO is used to train parameters of the structure using particles. We have used 40 particles whereby each particle symbolizes a solution to the issue. These parameters as a whole symbolize one particle and each particle searches optimal solution to the issue. Each particle has a fitness value associated with it and it is an error in our test. The main objective is to make each particle search for the optimal fit solution and in turn minimize error. In this process each particle learns from its past solutions and determines the pbest- the best position for each particle in a specific iteration.

### **10.2 Testing Process for Bombay Stock Exchange**

At the conclusion of the training process of the network, the weights are frozen for testing the network on inputs that were set apart from the training set. The testing set sample is the input to the network and the output, the predicted index close price is differentiated with desired output or genuine close price. The percentage of mistakes are recorded for every data set. The Mean Absolute Percentage Error (MAPE) is used to assess the performance of the trained prediction model for the test data. Mean Absolute Percent Error (MAPE) is the most general measure of forecast error. MAPE functions best when there are no extremes in the data (including zeros). It is quite dissimilar from normal MSE, as evident from the equation below. In our simulation, we have calculated both MSE and MAPE, but the analysis and differentiate is done on the basis of MAPE only. The attempt is to minimize the MAPE for testing samples in the quest for discovery of a preferable model for forecasting stock index price movements. The MAPE is the average absolute percent error for each time period or prophecy minus genuine divided by genuine price.

$$\frac{1}{ND} \sum_{i=1}^{ND} \frac{|F_i - A_i|}{A_i}$$

## **XI. The Outcome for Actual Bombay Stock Exchange Closing Value**

In this experiment we take approx 2000 to 3000 day to day statistical data on the Bombay stock index 1000 as a training set, it was found that only 2000 days data is sufficient enough to train the models for 1 day, 10 days, ahead prediction. For 30 and 60 days ahead prediction, upto 3000 days data is used to train the network. This model is tested with fresh 1200 days data out of which only 100 are shown for legibility. We have used 40 particles whereby each particle depicts a solution to the difficulty. In the first part testing of deep neural network parameters tuned with least mean square model and second part testing of deep neural network parameters tuned with particle swarm optimization model shown in below section.

### 11.1 Testing of Deep Neural Network Parameters Tuned With Least Mean Square Model

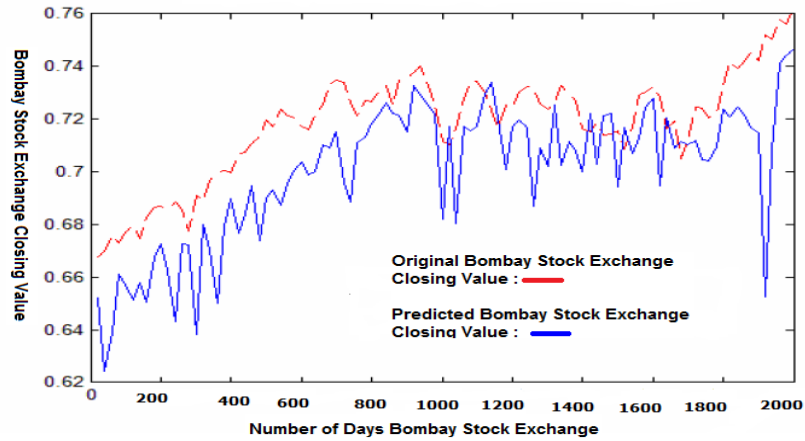


Figure 3. The First Days Predicted Bombay Stock Exchange Closing Value With Least Mean Square

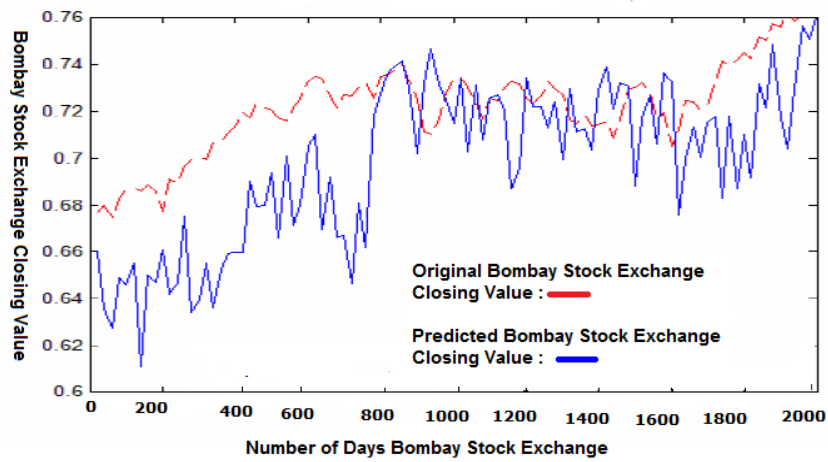


Figure 4. The Ten Days Predicted Bombay Stock Exchange Closing Value With Least Mean Square

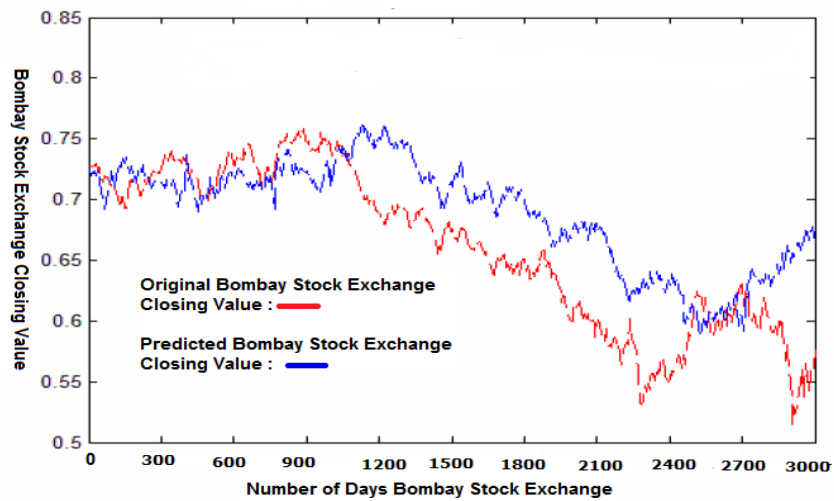


Figure 5. The Thirty Days Predicted Bombay Stock Exchange Closing Value With Least Mean Square

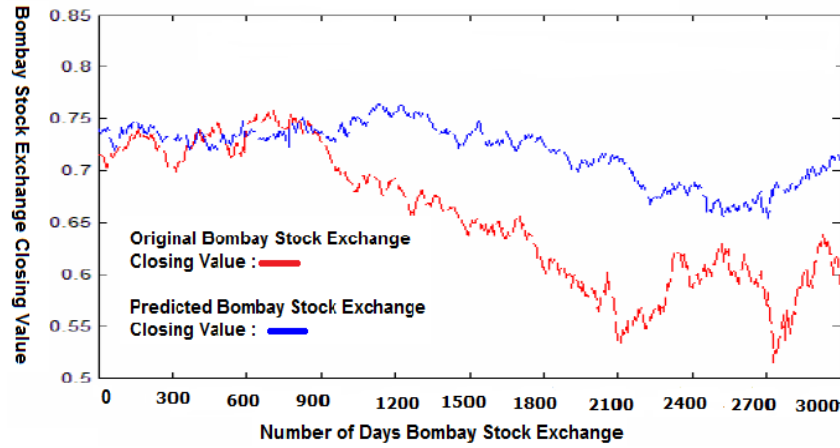


Figure 6. The Sixty Days Predicted Bombay Stock Exchange Closing Value With Least Mean Square

### 11.2 Testing of Deep Neural Network Parameters Tuned With Particle Swarm Optimization Model

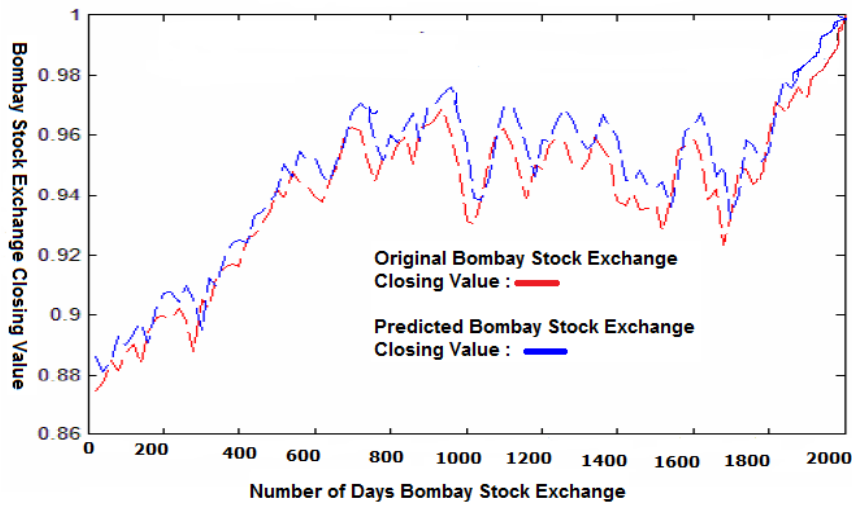


Figure 7. The First Days Predicted Bombay Stock Exchange Closing Value With Particle Swarm Optimization

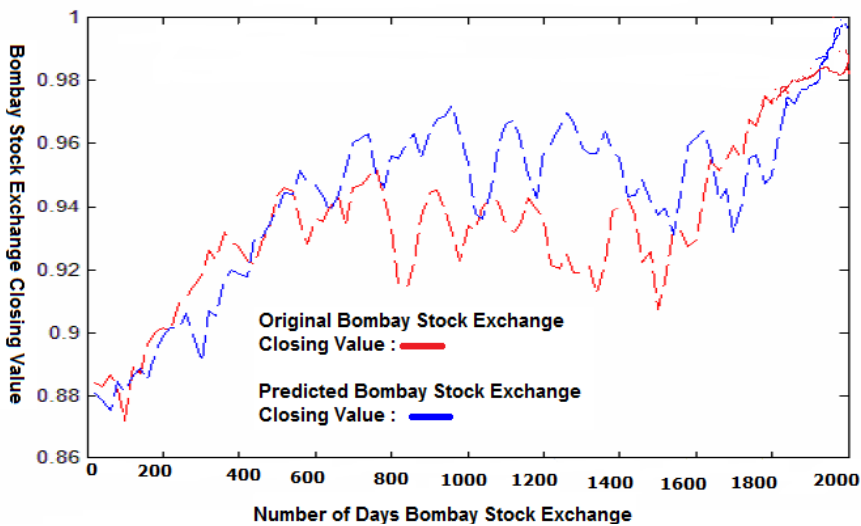


Figure 8. The Ten Days Predicted Bombay Stock Exchange Closing Value With Particle Swarm Optimization

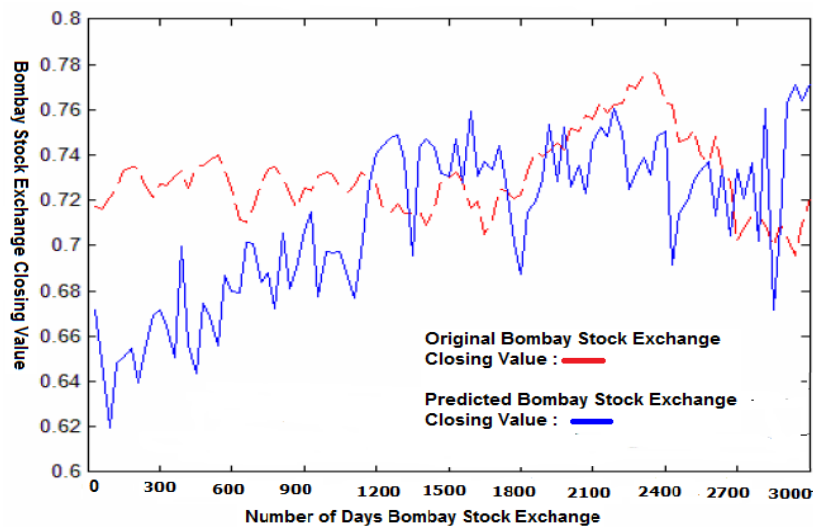


Figure 9. The Thirty Days Predicted Bombay Stock Exchange Closing Value With Particle Swarm Optimization

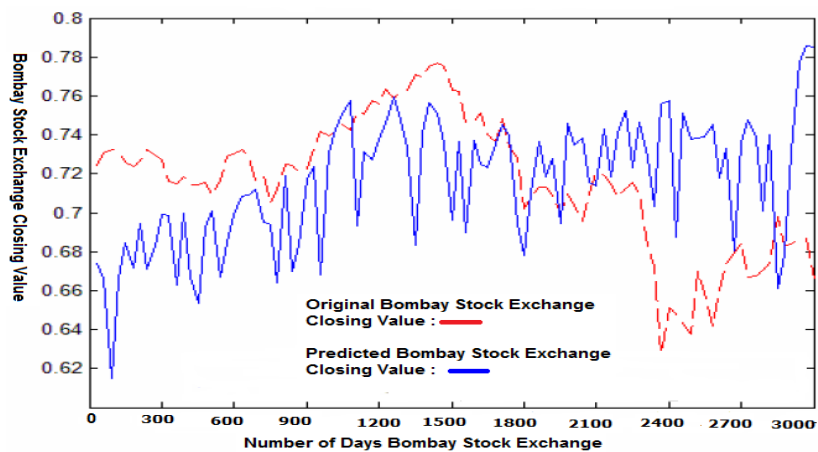


Figure 10. The Sixty Days Predicted Bombay Stock Exchange Closing Value With Particle Swarm Optimization

### 11.3 Model Comparison Through MAPE for Bombay Stock Exchange

In this section model comparison through MAPE for Bombay Stock Exchange between deep neural network parameters tuned with least mean square model and deep neural network parameters tuned with the particle swarm optimization model shown in below table 1.

Table 1. The Model Comparison Through MAPE for Bombay Stock Exchange Between LMS and PSO

Number of Days Prediction for Bombay Stock Exchange	Number of Days Training Completed for Bombay Stock Exchange	Deep Neural Network Parameters tuned by Least Mean Square MAPE (%)	Deep Neural Network Parameters tuned by Particle Swarm Optimization Model MAPE (%)
First day Predicted Bombay Stock Exchange	2000 Days Training Completed for Bombay Stock Exchange	1.494%	1.187%
Ten Days Predicted Bombay Stock Exchange	2000 Days Training Completed for Bombay Stock Exchange	3.986%	3.471%
Thirty Days Predicted Bombay Stock Exchange	3000 Days Training Completed for Bombay Stock Exchange	5.897%	4.534%
Sixty Days Predicted Bombay Stock Exchange	3000 Days Training Completed for Bombay Stock Exchange	8.968%	5.341%

## XII. Conclusions

At the present time, predict the stock market does not only have monetary gain, but aspresentlythe stock market is a vital part of a country's economy, understandingit is becoming more and more essential.In this paper, wehave proposed a deep learning algorithm for forecasting of Bombay Stock Exchange. The deep learning algorithms do this via several layers of artificial neural networks, which mimic the network of neurons in our brain. This permits the algorithm to perform several cycles to narrow down patterns and make better the predictions with each cycle. The financial data have been taken from a huge database and has been based on the stock prices onthe preeminent Bombay stock exchange. The deep neural network is the capability to extract features from a huge set of raw data without trust on previous information of predictors. This makes deep learning, especially convenient for stock market prediction, in which promiscuous factors influence stock prices in a complex, nonlinear trend.In this paper, we have formulated a comparison between variouslearning models like PSO and LMS. The differentiation of bothmethods is done by taking deep neural network models and outcome are compiled. During the higher number of days ahead predication, deep neural network parameters updated with PSO algorithm works the optimal. In the end, this paperproposedpractical insights and potentially useful directions for further examine into how deep learning networks can be effectively used for stock market prediction.

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